



Week	Clip Number
Week 1 – Converting to and from Standard Form Calculating with Standard Form	83 83
Week 2 – Percentage increase/decrease using multipliers Compound interest Reverse percentages and percentage change using multipliers	108 164 110
Week 3 – Direct Proportion Inverse Proportion	199 199
Week 4 – Similar Shapes with Area Similar Shapes with Volume	201 201
Week 5 – Finding Upper and Lower bounds Upper and Lower bounds with Area and Perimeter Recurring decimals to fractions	132 132 177



Percentage Change

The table shows how ordinary numbers can be written in standard form.

Numbers written in standard form are written as $a \times 10^n$

where n is between 1 and 10.

Ordinary Number	Standard Form
29	2.9×10^1
350	3.50×10^2
4716	4.716×10^3
600000000	6×10^8
0.3	3×10^{-1}
0.09	9×10^{-2}
0.0071	7.1×10^{-3}
0.000502	5.02×10^{-4}

$$\% \text{ change} = \frac{\text{New} - \text{Original}}{\text{original}} \times 100\%$$

$$30 \rightarrow 42$$

$$\frac{42 - 30}{30} \times 100\%$$

Direct and Inverse Proportion

Statement	Equation
y is proportional to x	$y = kx$
y is proportional to the square of x	$y = kx^2$
y is proportional to x cubed	$y = kx^3$
y is proportional to the square root of x	$y = k\sqrt{x}$

Two quantities are said to be in direct proportion if they increase or decrease in the same ratio. If two amounts are **directly proportional** we can scale the quantities up by multiplying.

Two quantities are said to be in inverse proportion if one quantity increases at the same rate that the other quantity decreases.

Statement	Equation
y is inversely proportional to x	$y = \frac{k}{x}$
y is inversely proportional to the square of x	$y = \frac{k}{x^2}$
y is inversely proportional to x cubed	$y = \frac{k}{x^3}$
y is inversely proportional to the square root of x	$y = \frac{k}{\sqrt{x}}$

Write each recurring decimal as a simplified fraction:

- $0.\dot{6}\dot{3}$ $\frac{63}{99} = \frac{7}{11}$
- $0.0\dot{6}\dot{3}$ $\frac{63}{990} = \frac{7}{110}$
- $6.\dot{3}\dot{6}$ $6\frac{36}{99} = 6\frac{4}{11}$
- $0.4\dot{3}\dot{6}$ $\frac{432}{990} = \frac{24}{55}$
- Prove that $0.4\dot{6} = \frac{46}{99}$
- Hence express $0.34\dot{6}$ as a fraction.

$$\begin{aligned} \text{Let } x &= 0.4\dot{6} \\ 100x &= 46.4\dot{6} \\ 99x &= 46 \\ x &= \frac{46}{99} \end{aligned}$$

$$\frac{3}{10} + \frac{46}{990} = \frac{343}{990}$$

Answers

Say it like a mathematician

Year 9 Maths
Maximise 1

INDICES - Written as a small number to its upper right. • the small number is called an exponent, index, power or order, e.g. $10 \times 10 \times 10 \times 10 = 10^4$

INTEREST- interest is a fee paid for borrowing money or other assets

DEPRECIATION- a decrease in the value of something over time

CONSTANT- a quantity having a fixed value that does not change or vary

VARIABLE- a quantity that can change or vary, taking on different values

SCALE FACTOR- the number used to multiply one object by to get another object that looks the same but is a different size

